These are the basic trigonometric functions representing the fundamental relationships between the angles and sides of a right triangle.

<u>Sine (sin)</u>: In a right triangle, the sine of an angle is the ratio of the length of the opposite side to the length of the hypotenuse. **Equation**: $sin(\theta) = opposite / hypotenuse$

<u>Cosine (cos)</u>: In a right triangle, the cosine of an angle is the ratio of the length of the adjacent side to the length of the hypotenuse. **Equation**: $cos(\theta) = adjacent / hypotenuse$

Tangent (tan): In a right triangle, the tangent of an angle is the ratio of the length of the opposite side to the length of the adjacent side. **Equation:** $tan(\theta) = opposite / adjacent$



Sine Rule:

The Sine Rule is used in trigonometry to find missing lengths or angles in any triangle (not just right-angled triangles). It states that the ratio of the length of a side to the sine of its opposite angle is the same for all sides and angles in a triangle:

a / sin(A) = b / sin(B) = c / sin(C)

where a, b, and c are the lengths of the sides, and A, B, and C are the opposite sides.



Cosine Rule:

The Cosine Rule, also useful for any type of triangle, relates the lengths of a triangle's sides to the cosine of one of its angles. It's given by:

 $c_2 = a_2 + b_2 - 2ab\cos(C)$

where a, b, and c are the sides of the triangle and C is the angle opposite side c.



Trigonometry Graphs:

Trigonometric graphs represent how the values of sin, cos, and tan functions change with the angle. They are periodic functions, repeating their values in regular intervals.

Graph of sine: starts at 0, peaks at 1, dips to -1, and returns to 0 over a period of 2π radians (360 degrees).

Graph of cosine: similar to the sine graph, starts at 1, peaks at 1, dips to -1, and returns to 0 over a period of 2π radians (360 degrees).

Graph of tangent: rises to infinity, drops to negative infinity, and repeats every π radians (180) degrees), with undefined values at $\frac{\pi}{2}$ and its multiples.

The graph is not

continuous. There is a vertical asymptote every 180°

 $-90^{\circ}, 90^{\circ}, 270^{\circ}..$

 180°

 90°

-θ

